
CS380: Computer Graphics

Screen Space & World Space

Sung-Eui Yoon
(윤성의)

Course URL:

<http://sgvr.kaist.ac.kr/~sungeui/CG>

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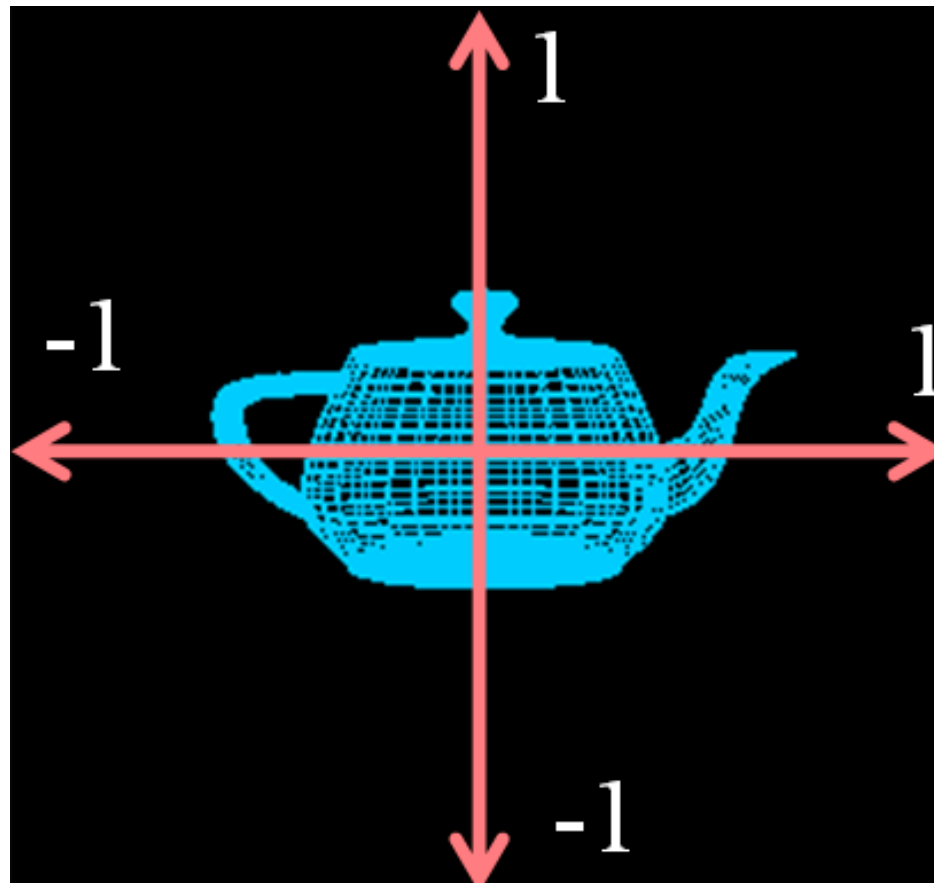


Class Objectives

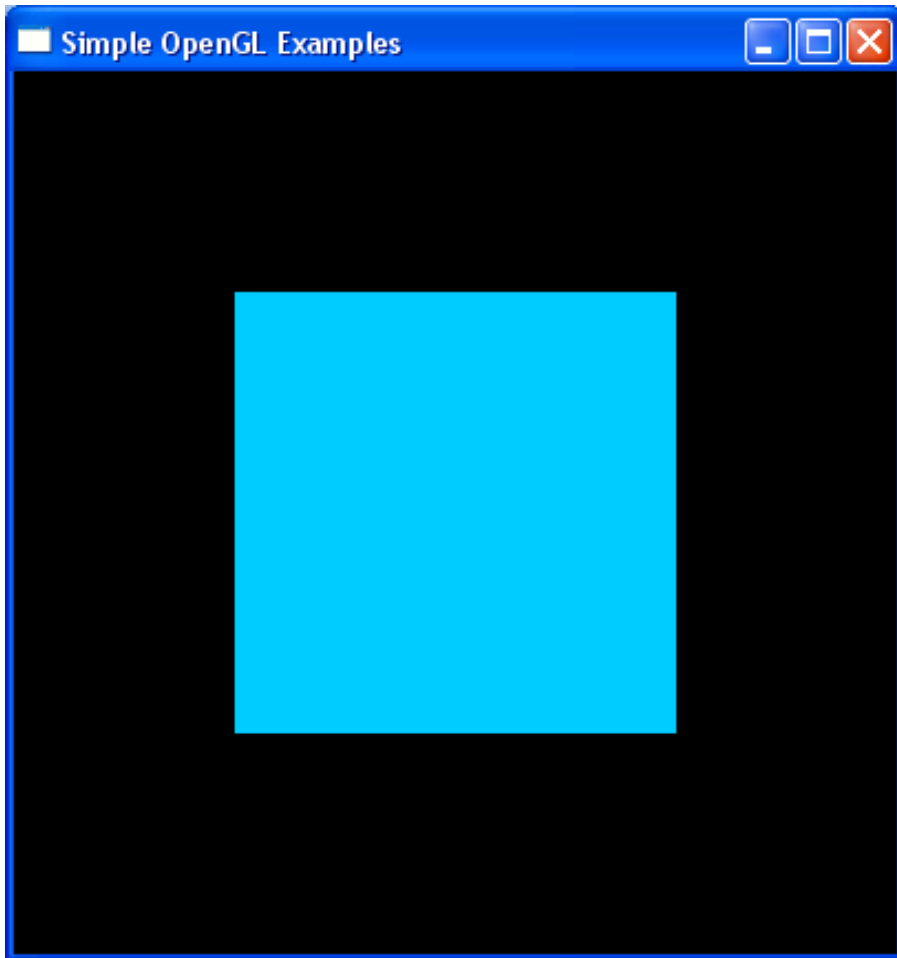
- **Understand different spaces and basic OpenGL commands**
- **Understand a continuous world, Julia sets**
- **Review of prior class:**
 - **Student activities (6~7 programming assignments, paper/video summary submission every week, poster presentation, etc.)**
 - **Grading policy**

Your New World

- A 2D square ranging from $(-1, -1)$ to $(1, 1)$
- You can draw in the box with just a few lines of code



Code Example (Immediate Mode)



Legacy OpenGL code:

```
glColor3d(0.0, 0.8, 1.0);
```

```
glBegin(GL_POLYGON);
```

```
    glVertex2d(-0.5, -0.5);
```

```
    glVertex2d( 0.5, -0.5);
```

```
    glVertex2d( 0.5,  0.5);
```

```
    glVertex2d(-0.5,  0.5);
```

```
glEnd();
```

OpenGL Command Syntax

- **glColor3d(0.0, 0.8, 1.0);**

Suffix	Data Type	Corresponding C-Type	OpenGL Type
b	8-bit int.	signed char	GLbyte
s	16-bit int.	short	GLshort
i	32-bit int.	int	GLint
f	32-bit float	float	GLfloat
d	64-bit double	double	GLdouble
ub	8-bit unsigned int.	unsigned char	GLubyte
us	16-bit unsigned int.	unsigned short	GLushort
ui	32-bit unsigned int.	unsigned int	GLuint

OpenGL Command Syntax

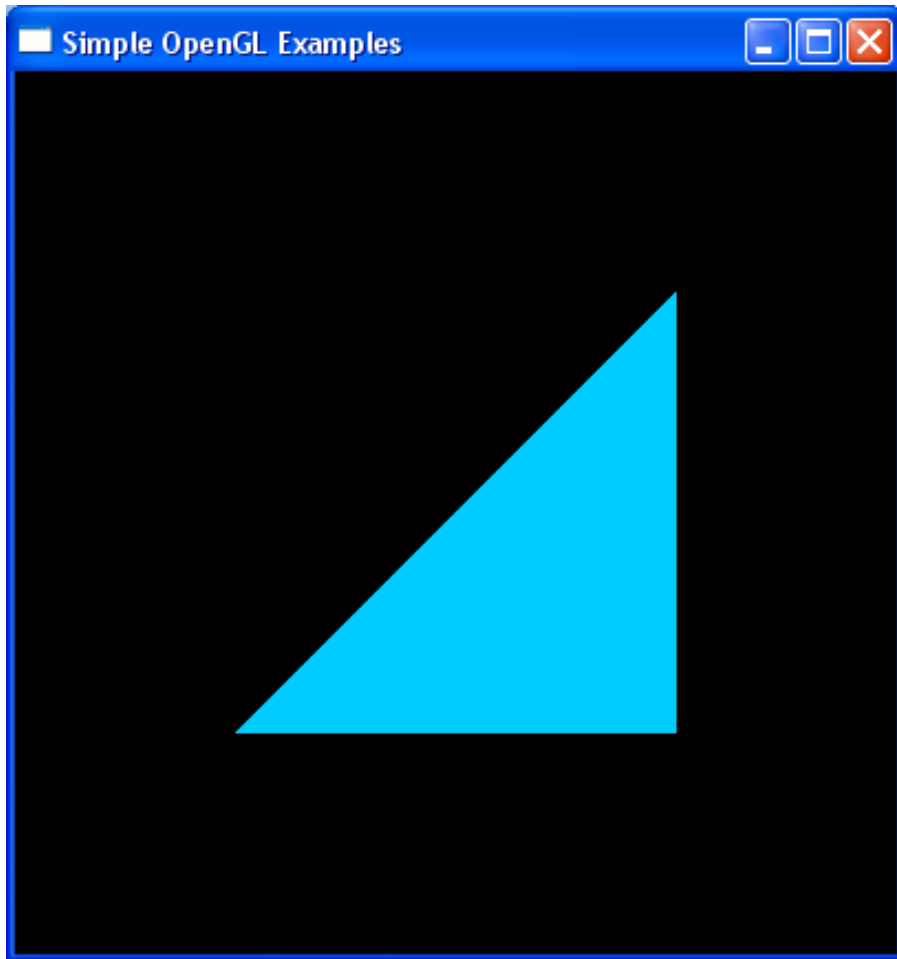
- **You can use pointers or buffers**

```
glColor3f(0.0, 0.8, 1.0);
```

```
GLfloat color_array [] = {0.0, 0.8, 1.0};  
glColor3fv (color_array);
```

- **Using buffers for drawing is much more efficient**
 - **Buffers can be cached in GPU**

Another Code Example



OpenGL Code:

```
glColor3d(0.0, 0.8, 1.0);
```

```
glBegin(GL_POLYGON);
```

```
    glVertex2d(-0.5, -0.5);
```

```
    glVertex2d( 0.5, -0.5);
```

```
    glVertex2d( 0.5,  0.5);
```

```
glEnd();
```

Drawing Primitives in OpenGL

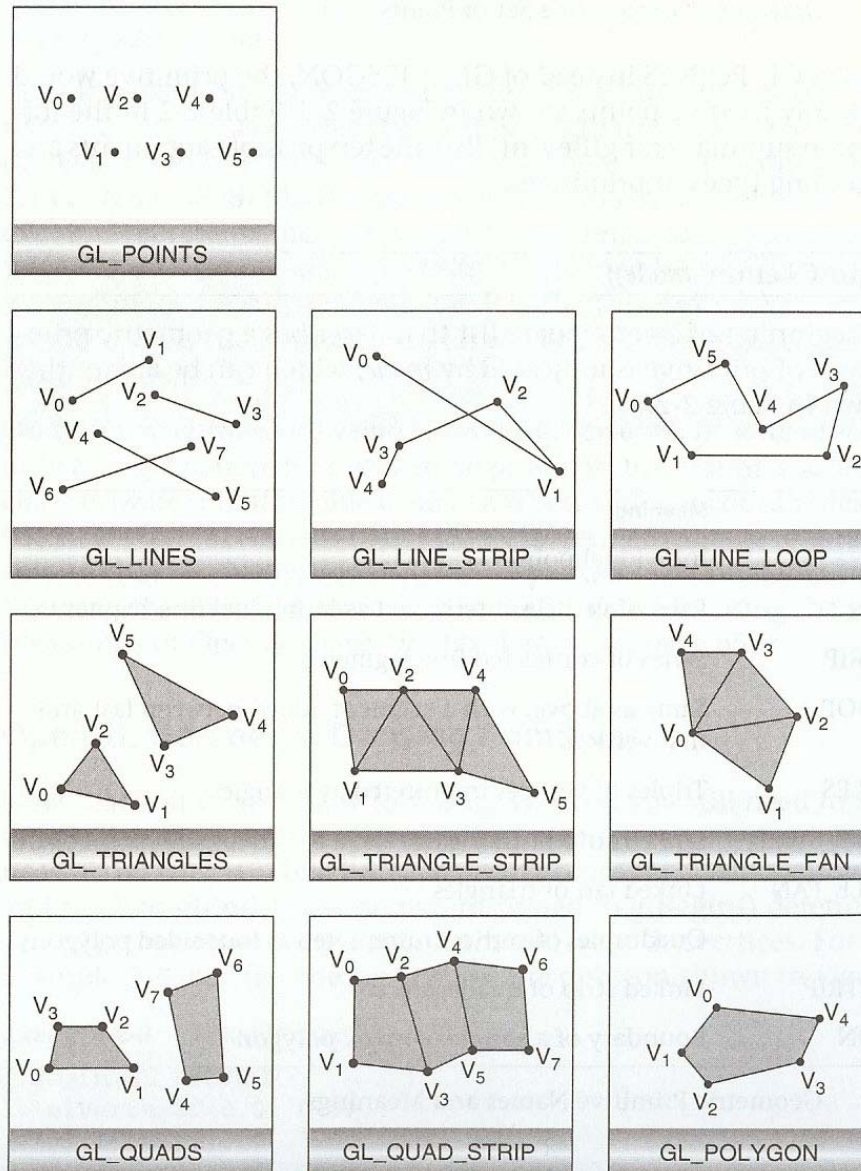
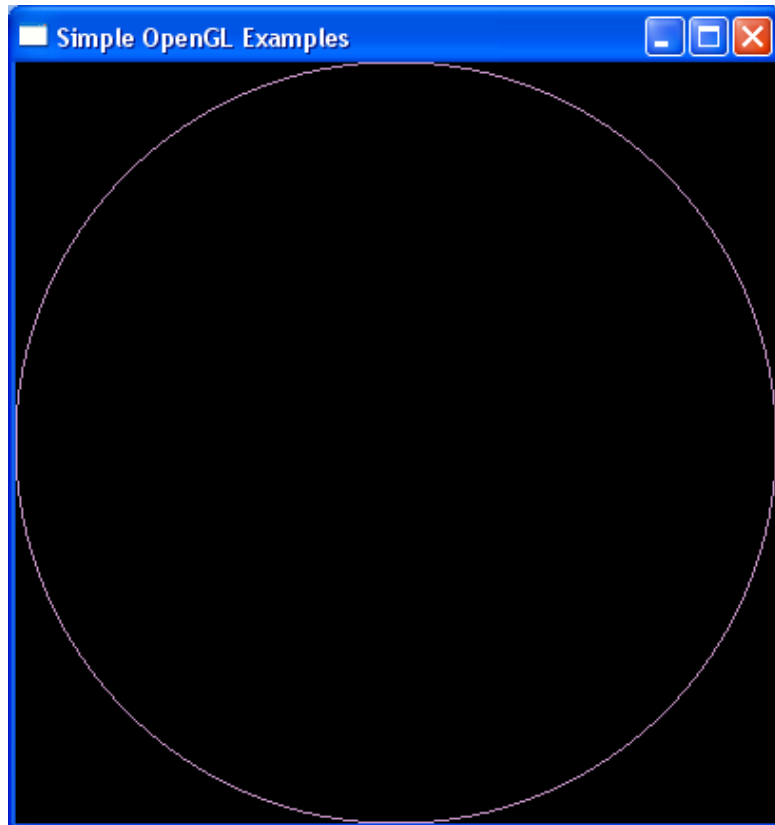


Figure 2-7 Geometric Primitive Types

The red book

Yet Another Code Example



OpenGL Code:

```
glColor3d(0.8, 0.6, 0.8);

glBegin(GL_LINE_LOOP);
for (i = 0; i < 360; i = i + 2)
{
    x = cos(i*pi/180);
    y = sin(i*pi/180);
    glVertex2d(x, y);
}
glEnd();
```

OpenGL as a State Machine

- **OpenGL maintains various states until you change them**

```
// set the current color state  
glColor3d(0.0, 0.8, 1.0);
```

```
glBegin(GL_POLYGON);  
    glVertex2d(-0.5, -0.5);  
    glVertex2d( 0.5, -0.5);  
    glVertex2d( 0.5,  0.5);  
glEnd();
```

OpenGL as a State Machine

- **OpenGL maintains various states until you change them**
- **Many state variables refer to modes (e.g., lighting mode)**
 - **You can enable, glEnable (), or disable, glDisable ()**
- **You can query state variables**
 - **glGetFloatv (), glIsEnabled (), etc.**
 - **glGetError (): very useful for debugging**

Debugging Tip

```
#define CheckError(s) \
{ \
    GLenum error = glGetError(); \
    if (error) \
        printf("%s in %s\n",gluErrorString(error),s); \
}
```

```
glTexCoordPointer (2, x, sizeof(y), (GLvoid *) TexDelta);  
CheckError ("Tex Bind");
```

```
glDrawElements(GL_TRIANGLES, x, GL_UNSIGNED_SHORT, 0);  
CheckError ("Tex Draw");
```

OpenGL Ver. 4.3 (Using Retained Mode)

```
#include <iostream>
using namespace std;
#include "vgl.h"
#include "LoadShaders.h"
enum VAO_IDs { Triangles, NumVAOs };
enum Buffer_IDs { ArrayBuffer, NumBuffers };
enum Attrib_IDs { vPosition = 0 };
GLuint VAOs[NumVAOs];
GLuint Buffers[NumBuffers];
const GLuint NumVertices = 6;

Void init(void) {
glGenVertexArrays(NumVAOs, VAOs);
glBindVertexArray(VAOs[Triangles]);
GLfloat vertices[NumVertices][2] = {
{ -0.90, -0.90 }, // Triangle 1
{ 0.85, -0.90 },
{ -0.90, 0.85 },
{ 0.90, -0.85 }, // Triangle 2
{ 0.90, 0.90 },
{ -0.85, 0.90 } };
glGenBuffers(NumBuffers, Buffers);

glBindBuffer(GL_ARRAY_BUFFER, Buffers[ArrayBuffer]);
glBufferData(GL_ARRAY_BUFFER, sizeof(vertices),
vertices, GL_STATIC_DRAW);
```

```
ShaderInfo shaders[] = {
{ GL_VERTEX_SHADER, "triangles.vert" },
{ GL_FRAGMENT_SHADER, "triangles.frag" },
{ GL_NONE, NULL } };
GLuint program = LoadShaders(shaders);
glUseProgram(program);
glVertexAttribPointer(vPosition, 2, GL_FLOAT,
GL_FALSE, 0, BUFFER_OFFSET(0));
glEnableVertexAttribArray(vPosition);
}
```

```
Void display(void) {
glClear(GL_COLOR_BUFFER_BIT);
glBindVertexArray(VAOs[Triangles]);
glDrawArrays(GL_TRIANGLES, 0, NumVertices);
glFlush();
}

Int main(int argc, char** argv) {
glutInit(&argc, argv); glutInitDisplayMode(GLUT_RGBA);
glutInitWindowSize(512, 512);
glutInitContextVersion(4, 3);
glutInitContextProfile(GLUT_CORE_PROFILE);
glutCreateWindow(argv[0]);
if (glewInit()) {
exit(EXIT_FAILURE); }
init();glutDisplayFunc(display); glutMainLoop();
}
```

Vulkan: A Recent Change

The Need for a New Generation GPU API

- **Explicit**
 - Open up the high-level driver abstraction to give direct, low-level GPU control
- **Streamlined**
 - Faster performance, lower overhead, less latency
- **Portable**
 - Cloud, desktop, console, mobile and embedded
- **Extensible**
 - Platform for rapid innovation



OpenGL has evolved over 25 years and continues to meet industry needs - but there is a need for a complementary API approach



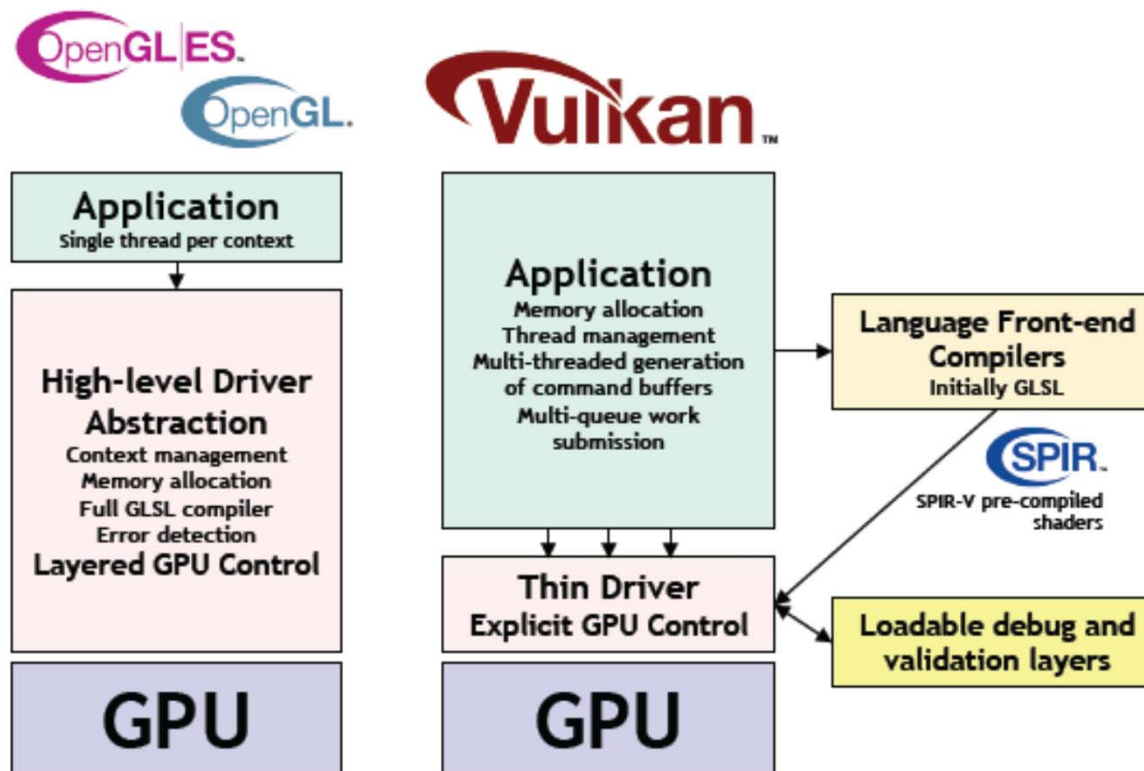
GPUs are increasingly programmable and compute capable + platforms are becoming mobile, memory-unified and multi-core



GPUs will accelerate graphics, compute, vision and deep learning across diverse platforms: **FLEXIBILITY and PORTABILITY** are key

Benefits of Vulkan

Vulkan Explicit GPU Control



Vulkan 1.0 provides access to OpenGL ES 3.1 / OpenGL 4.X-class GPU functionality but with increased performance and flexibility

Vulkan Benefits

Simpler drivers:
Improved efficiency/performance
Reduced CPU bottlenecks
Lower latency
Increased portability

Resource management in app code:
Less hitches and surprises

Command Buffers:
Command creation can be multi-threaded
Multiple CPU cores increase performance

Graphics, compute and DMA queues:
Work dispatch flexibility

SPIR-V Pre-compiled Shaders:
No front-end compiler in driver
Future shading language flexibility

Loadable Layers
No error handling overhead in production code

Educational Issue on CG SWs

- **Recent trends of real-time rendering add additional complexity and lower level details for higher performance**
 - **Away from easy entrance to its field; i.e., not good for educational purposes**



- **Physically-based rendering is getting more widely used**
 - **Understanding principled concepts is more important than fast performance**



Pixar, good dinosaur

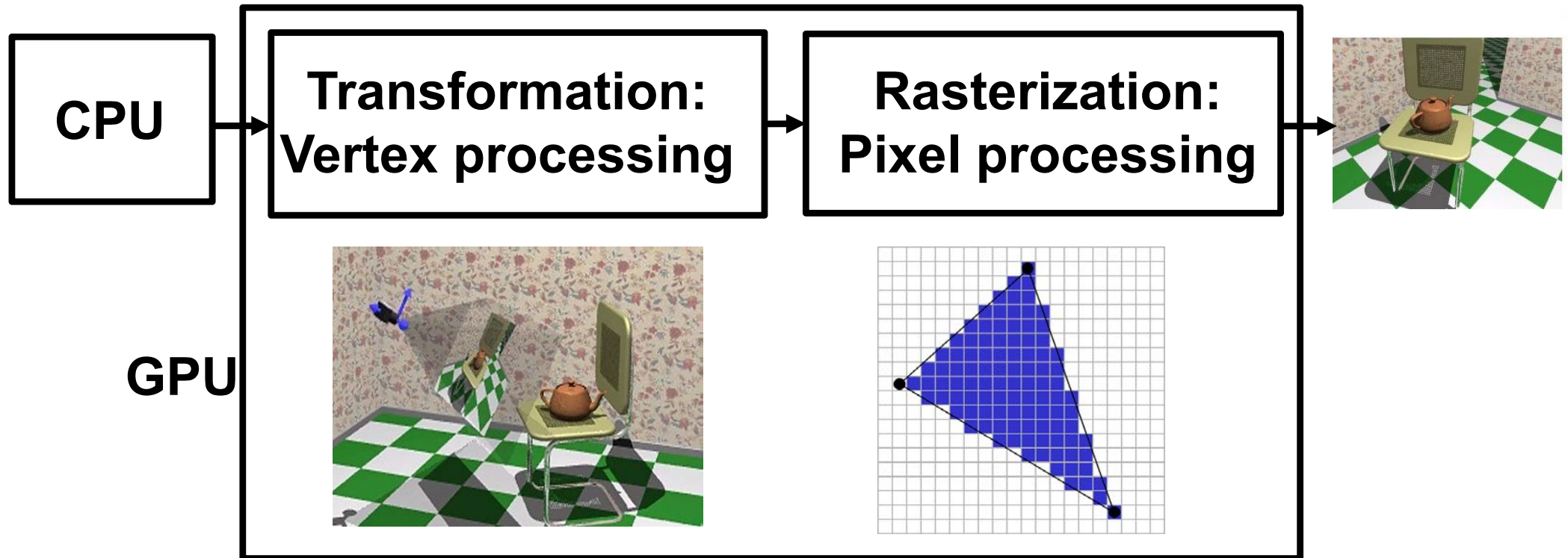
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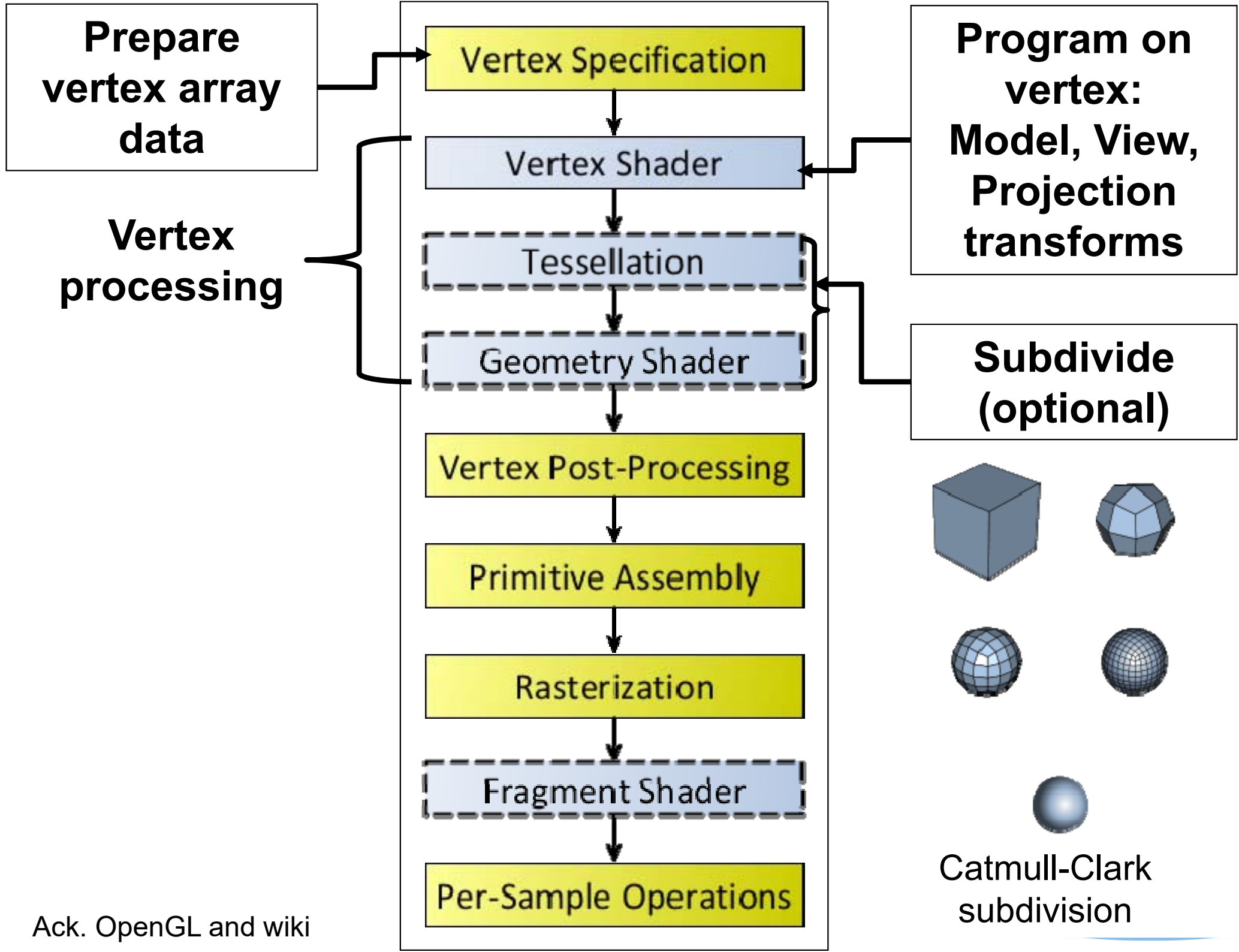
My Approach

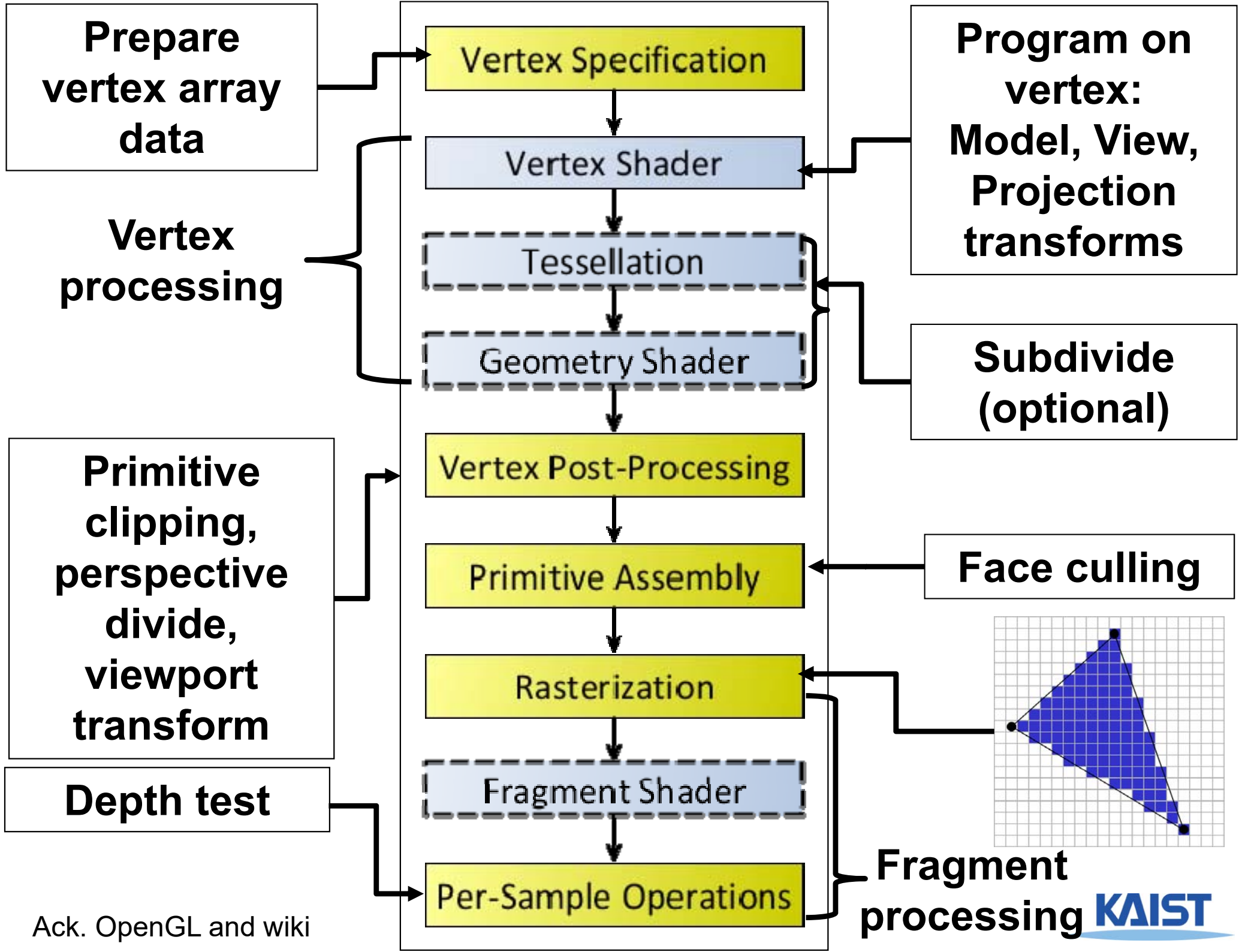
- **Focus on fundamental concepts that will last in many coming years**
- **Use the legacy OpenGL version as a basic teaching tool, thanks to its simplicity**
 - **Discuss its current form too, to differentiate old and new versions**
 - **Point out the nature of rapid evolution of computer graphics and computer science**
- **Programming assignments**
 - **Based on the legacy OpenGL, which is covered in the class and lab**

Classic Rendering Pipeline

- Implemented in various SWs and HWs



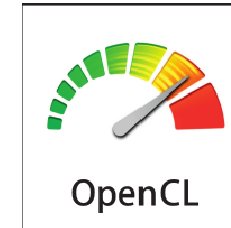




Ack. OpenGL and wiki

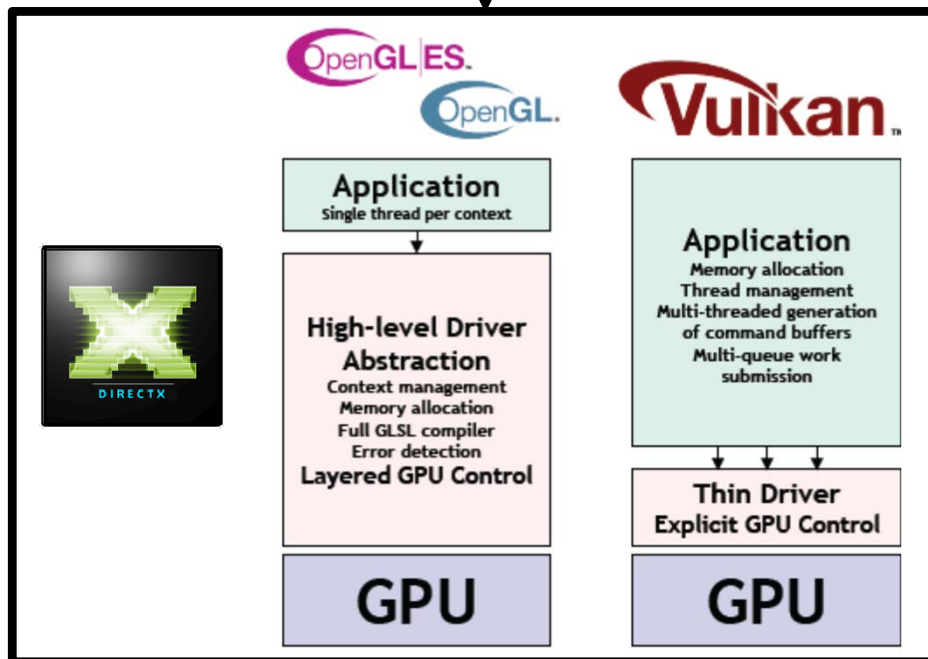
Relation to Other CG related Tools/Languages

Game/rendering engine & modeling/animation tools



GPGPU (General-Purpose computing on Graphics Processing Units)

Shading languages (GLSL, HLSL for DirectX)



Julia Sets (Fractal)



Demo

- **Study a visualization of a simple iterative function defined over the imaginary plane**
- **It has chaotic behavior**
 - **Small changes have dramatic effects**

Julia Set - Definition

- The Julia set J_c for a number c in the complex plane P is given by:

$$J_c = \{ p \mid p \in P \text{ and } p_{i+1} = p_i^2 + c \text{ converges to a fixed limit} \}$$

Complex numbers: consists of 2 tuples (Real, Imaginary)

E.g., $c = a + bi$

Various operations

$$c_1 + c_2 = (a_1 + a_2) + (b_1 + b_2)i$$

$$c_1 \cdot c_2 = (a_1 a_2 - b_1 b_2) + (a_1 b_2 + a_2 b_1)i$$

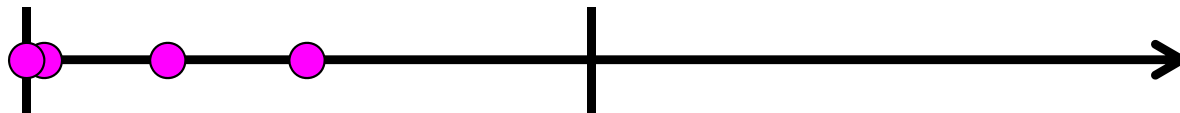
$$(c_1)^2 = ((a_1)^2 - (b_1)^2) + (2 a_1 b_1)i$$

$$|c| = \text{sqrt}(a^2 + b^2)$$

Convergence Example

- Real numbers are a subset of complex numbers:
 - Consider $c = [0, 0]$, and $p = [x, 0]$
 - For what values of x under $x_{i+1} = x_i^2$ is convergent?
How about $x_0 = 0.5$?

$$x_{0-4} = 0.5, 0.25, 0.0625, 0.0039$$

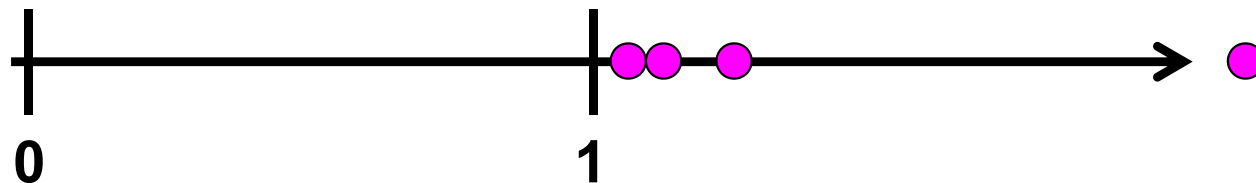


Convergence Example

- Real numbers are a subset of complex numbers:
 - consider $c = [0, 0]$, and $p = [x, 0]$
 - for what values of x is $x_{i+1} = x_i^2$ convergent?

How about $x_0 = 1.1$?

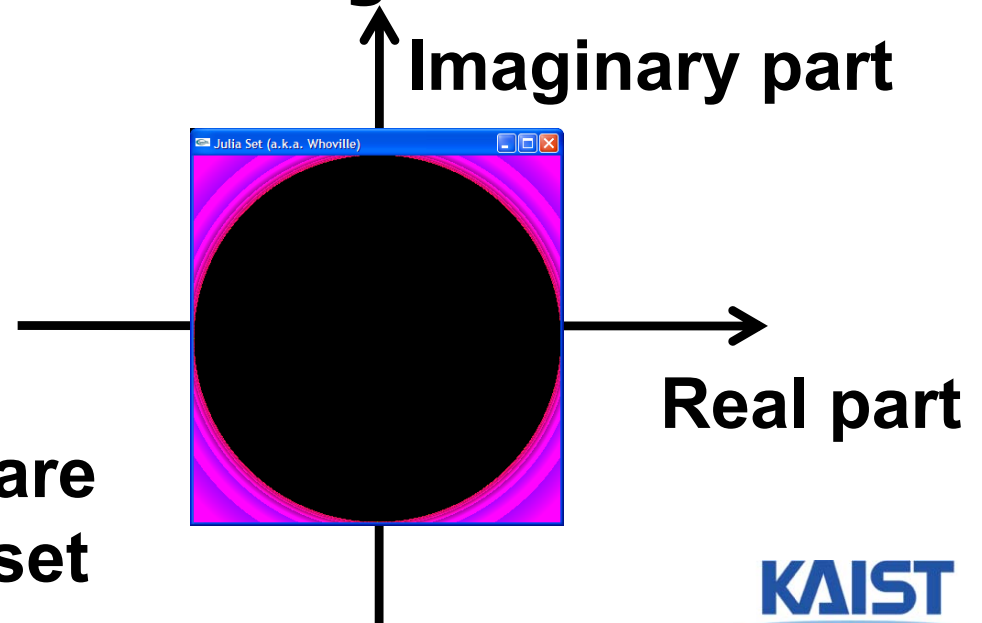
$$x_{0-4} = 1.1, 1.21, 1.4641, 2.14358$$



Convergence Properties

- Suppose $c = [0,0]$, for what complex values of p does the series converge?
- For real numbers:
 - If $|x_i| > 1$, then the series diverges
- For complex numbers
 - If $|p_i| > 2$, then the series diverges
 - Loose bound

The black points are the ones in Julia set

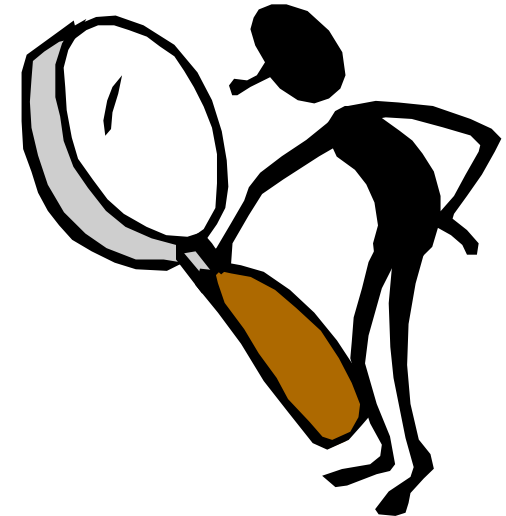


A Peek at the Fractal Code

```
class Complex {
    float re, im;
};

void Julia (Complex p, Complex c, int & i, float & r)
{
    int maxIterations = 256;
    for (i = 0; i < maxIterations;i++)
    {
        p = p*p + c;
        rSqr = p.re*p.re + p.im*p.im;

        if( rSqr > 4 )
            break;
    }
    r = sqrt(rSqr);
}
```



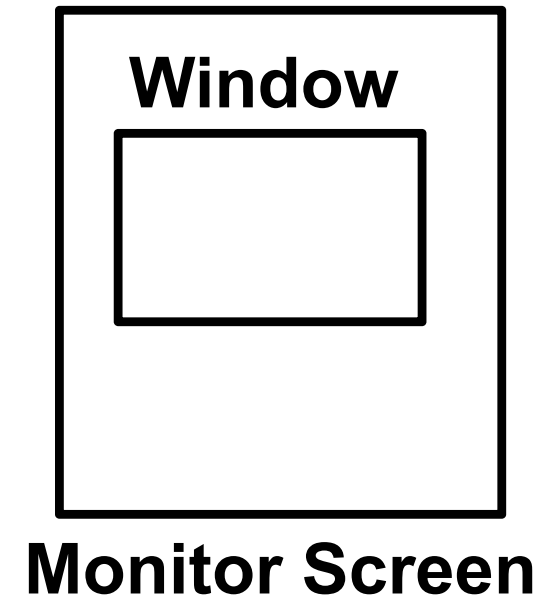
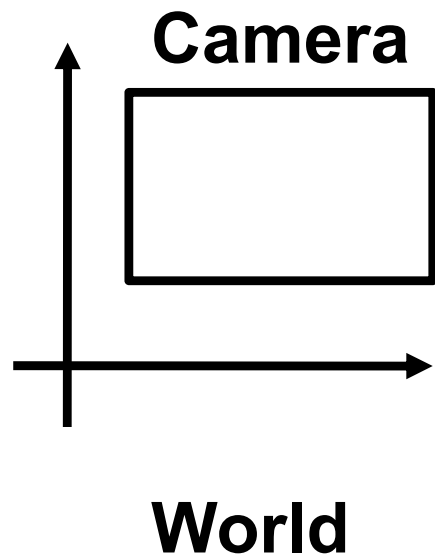
**i & r are used to
assign a color**

How can we see more?

- **Our world view allows us to see so much**
 - What if we want to zoom in?
- **We need to define a mapping from our desired world view to our screen**



Mapping from World to Screen

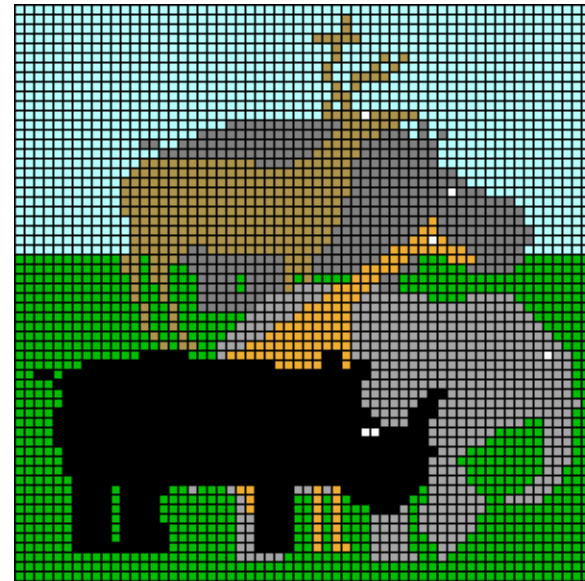


Screen Space

- **Graphical image is presented by setting colors for a set of discrete samples called "pixels"**
 - **Pixels displayed on screen in windows**
- **Pixels are addressed as 2D arrays**
 - **Indices are "screen-space" coordinates**

$(0,0)$

$(\text{width}-1,0)$

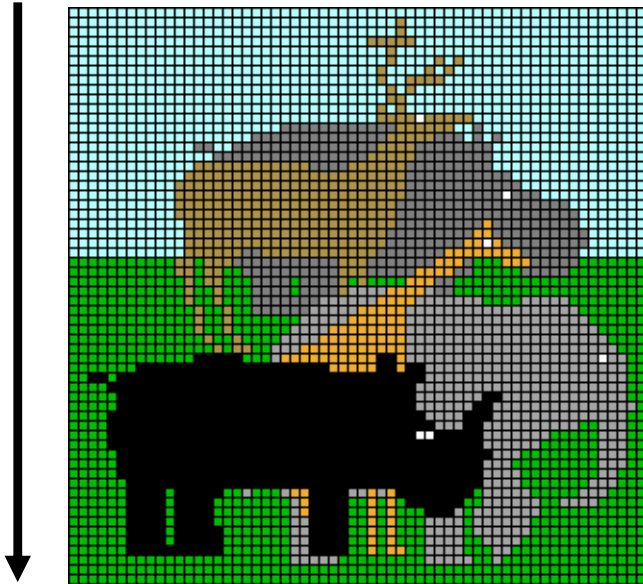


$(0,\text{height}-1)$

$(\text{width}-1, \text{height}-1)$

Coordinate Conventions

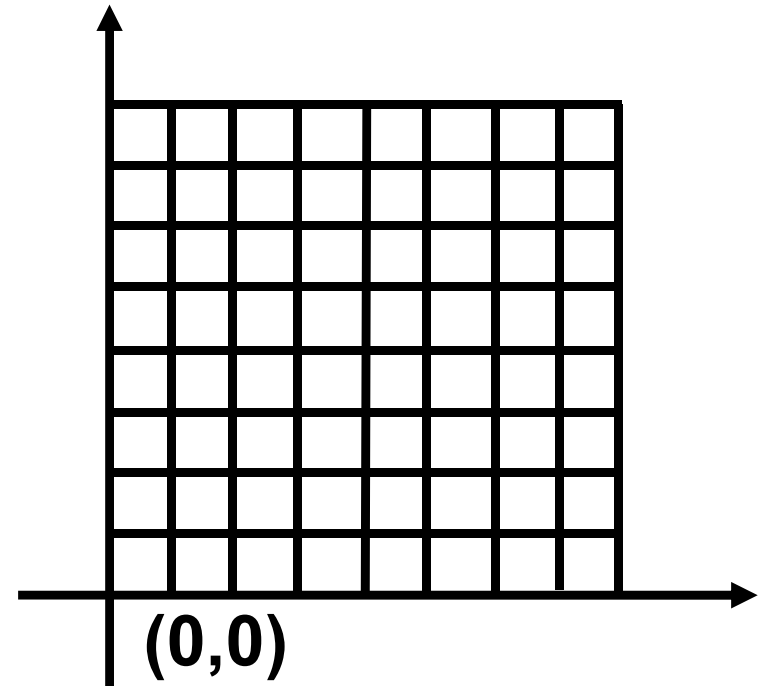
$(0,0)$ \longrightarrow $(\text{width}-1,0)$



$(0,$
 $\text{height}-1)$

$(\text{width}-1,$
 $\text{height}-1)$

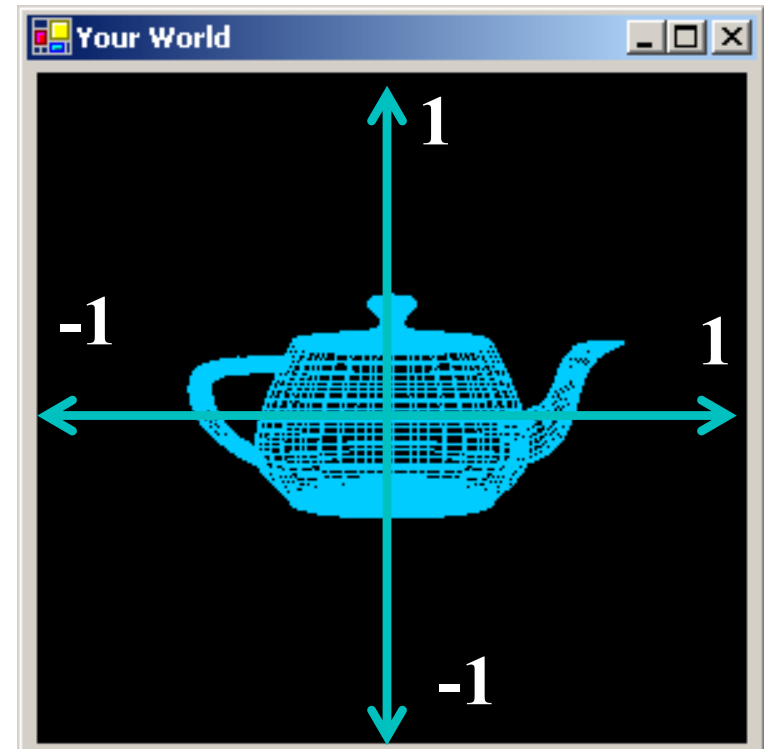
**Windows Screen
Coordinates**



**OpenGL Screen
Coordinates**

Normalized Device Coordinates

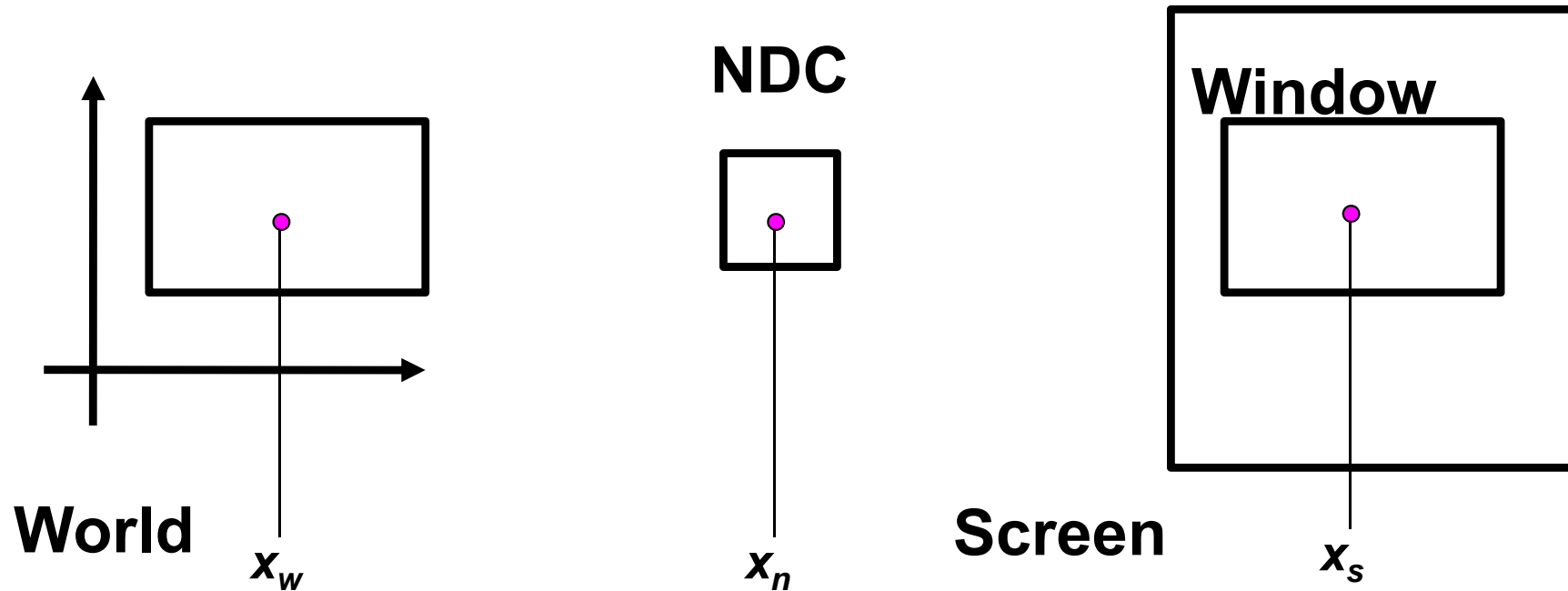
- Intermediate “rendering-space”
 - Compose world and screen space
- Sometimes called “canonical screen space”



Why Introduce NDC?

- **Simplifies many rendering operations**
 - **Clipping, computing coefficients for interpolation**
 - **Separates the bulk of geometric processing from the specifics of rasterization (sampling)**
 - **Will be discussed later**

Mapping from World to Screen



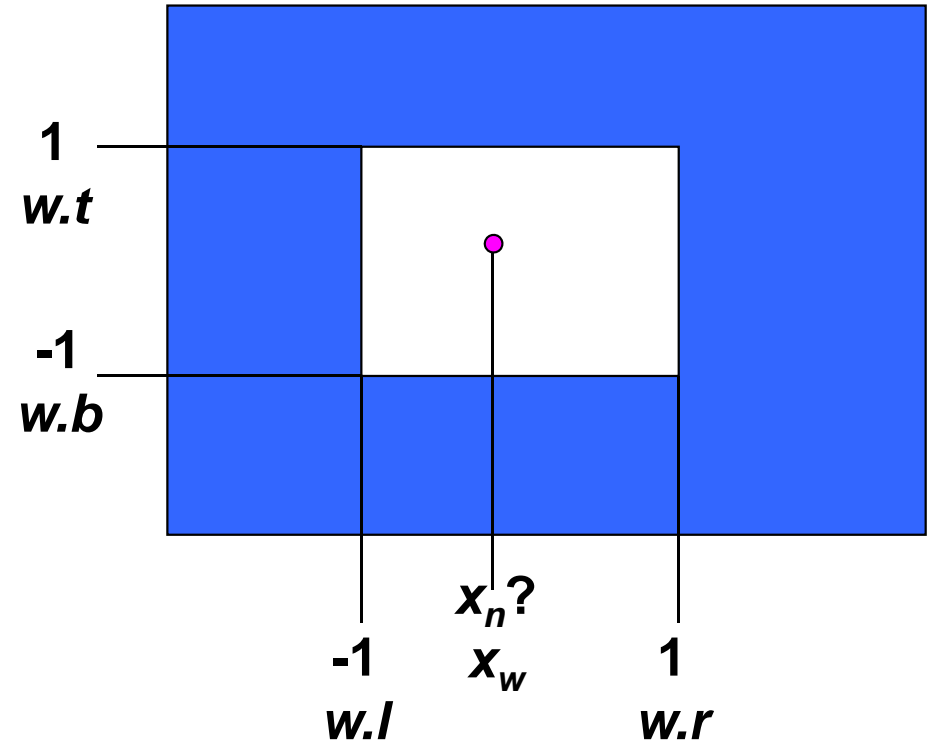
World Space to NDC

$$\frac{x_n - (-1)}{1 - (-1)} = \frac{x_w - (w.l)}{w.r - w.l}$$

$$x_n = 2 \frac{x_w - (w.l)}{w.r - w.l} - 1$$

$$x_n = Ax_w + B$$

$$A = \frac{2}{w.r - w.l}, \quad B = -\frac{w.r + w.l}{w.r - w.l}$$



NDC to Screen Space

- **Same approach**

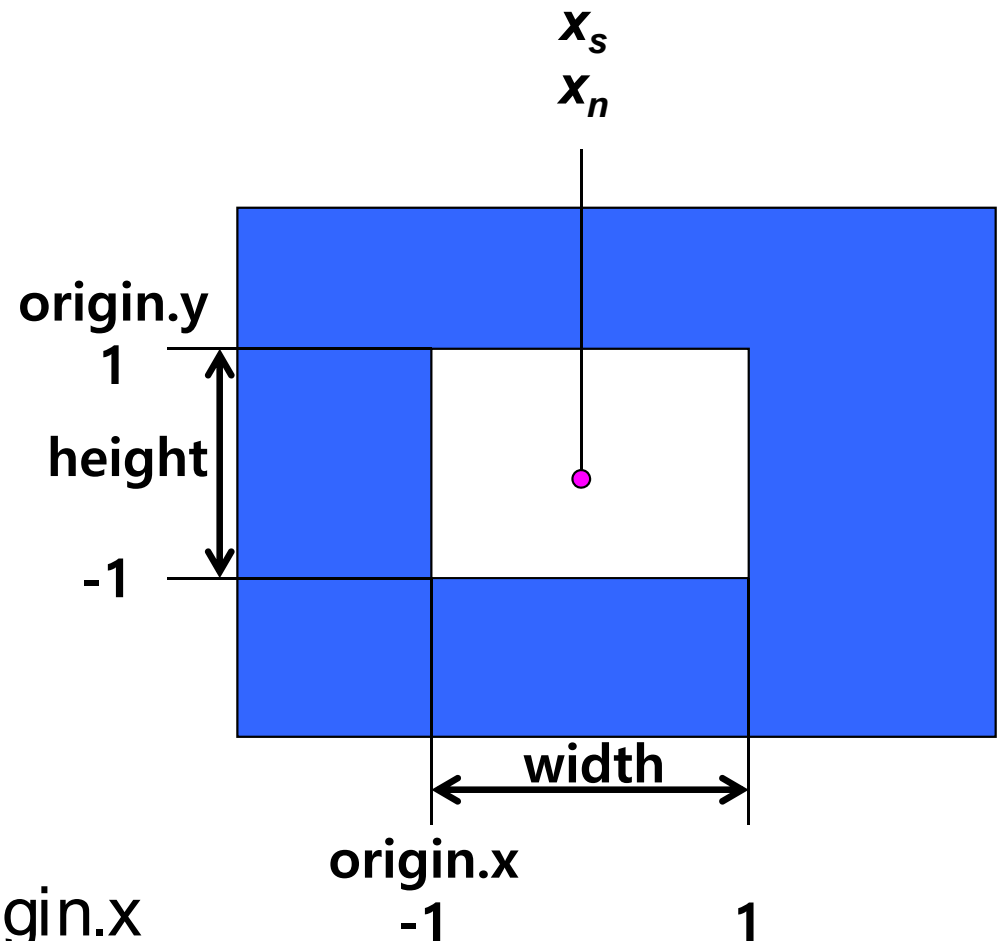
$$\frac{x_s - \text{origin.x}}{\text{width}} = \frac{x_n - (-1)}{1 - (-1)}$$

- **Solve for x_s**

$$x_s = \text{width} \frac{x_n + 1}{2} + \text{origin.x}$$

$$x_s = Ax_n + B$$

$$A = \frac{\text{width}}{2}; \quad B = \frac{\text{width}}{2} + \text{origin.x}$$



Class Objectives were:

- **Understand different spaces and basic OpenGL commands**
- **Understand a continuous world, Julia sets**

Any Questions?

- **Come up with one question on what we have discussed in the class and submit at the end of the class**
 - **1 for already answered questions**
 - **2 for questions with thoughts or that surprised me**
- **Submit two times during the whole semester**
 - **Multiple questions in one time are counted as once**

Homework

- **Go over the next lecture slides before the class**
- **Watch 2 SIGGRAPH videos and submit your summaries before every Mon. class**
 - **Submit online through our course homepage**
 - **Just one paragraph for each summary**

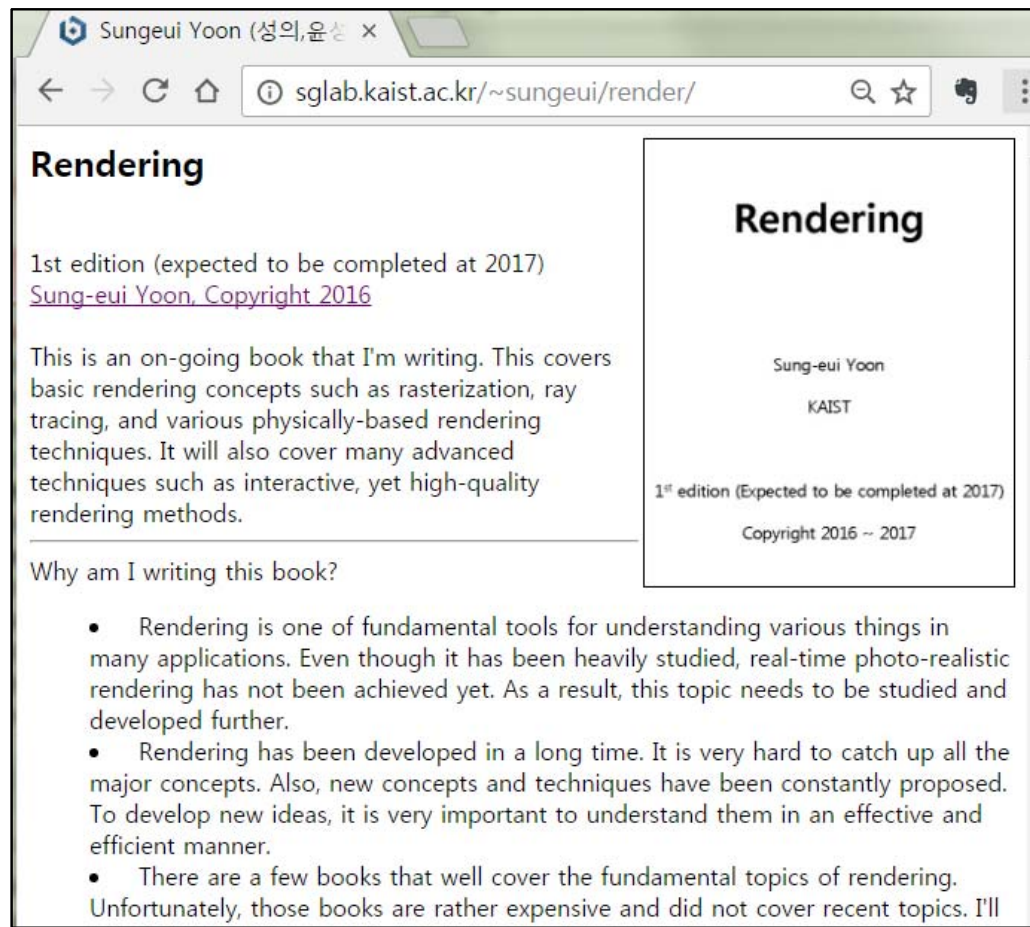
Example: (English or Korean is possible)

Title: XXX XXXX XXXX

Abstract: this video is about accelerating the performance of ray tracing. To achieve its goal, they design a new technique for reordering rays, since by doing so, they can improve the ray coherence and thus improve the overall performance.

Homework for Next Class

- **Read:**
 - **Chapter 1, Introduction**
 - **Chapter 2, Classic Rendering pipeline**



Next Time

- **Basic OpenGL program structure and how OpenGL supports different spaces**